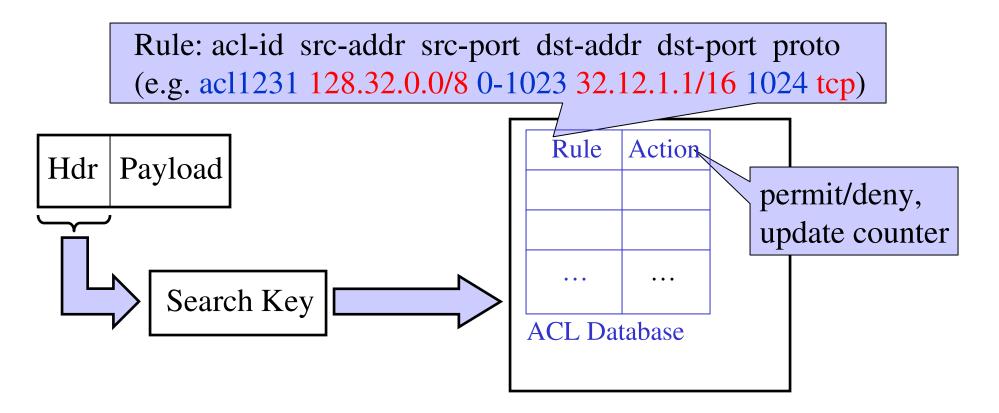
## Algorithms for Advanced Packet Classification with Ternary CAMs

Karthik Lakshminarayanan UC Berkeley

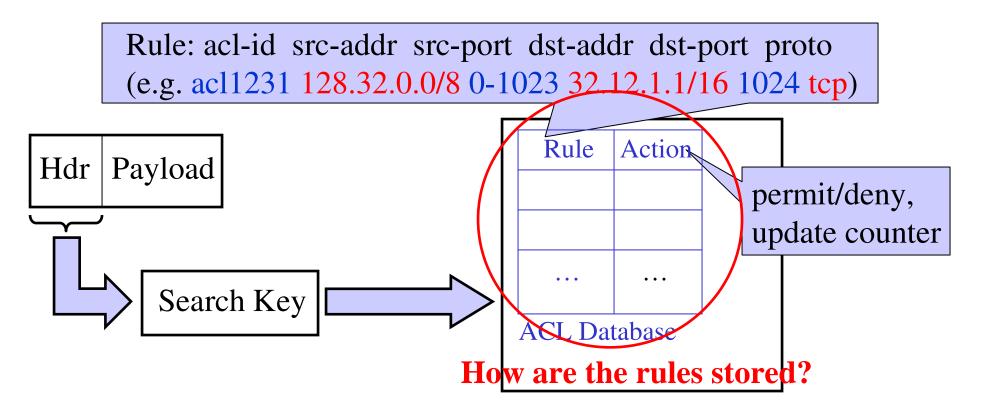
Joint work with Anand Rangarajan and Srinivasan Venkatachary (Cypress Semiconductor)

## Packet Processing Environment



- Packet matches a set of rules based on the header
- Examples: routers, intrusion detection systems

## Packet Processing Environment



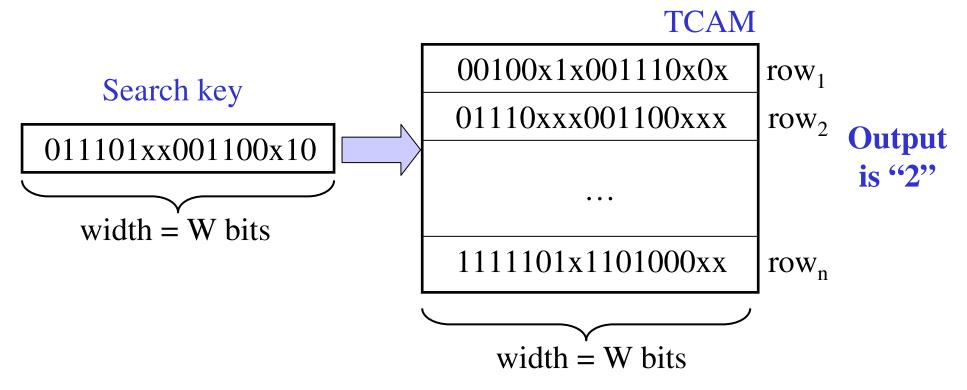
- TCAMs gaining widespread deployment
  - 6 million TCAM devices deployed
  - Used in multi-gigabit systems that have O(10,000) rules

## Ternary Content Addressable Memory

- **RAM: input = address, output = value**
- CAM: input = value, output = address

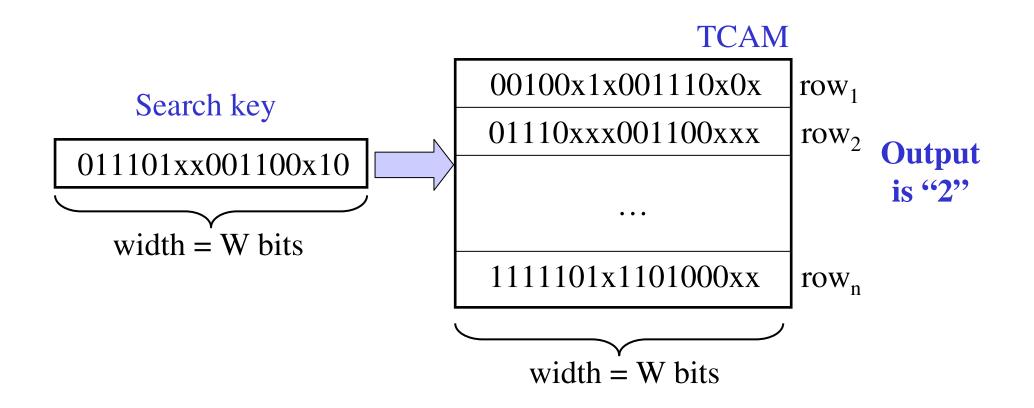
## Ternary Content Addressable Memory

- Memory device with fixed-width arrays
- Each bit is 0, 1 or x (don't care)
- Search is performed against all entries in *parallel* and the *first result* is returned



## Ternary Content Addressable Memory

- Benefits: Deterministic Search Throughput
  - single cycle search irrespective of search key



## Problems

Range Representation Problem

• Multimatch Classification Problem

No modifications to TCAMs and simple → Easy to deploy

## Problems

• Range Representation Problem

• Multimatch Classification Problem

## Range Representation Problem

- (Recall that rules contain prefixes and ranges)
- Representing prefixes in ternary is trivial
  - IP address prefixes present in rules
  - e.g. 128.32.136.0/24 would contain 8 'x's at the end
- Representing arbitrary ranges is not easy though
  - port fields might contain ranges
  - e.g. some security applications may allow ports 1024-65535 only

**Problem Statement: Given a range R, find the minimum number of ternary entries to represent R** 

# Why is efficient range representation an important problem?

Statistic	1998 database	2004 database
Total number of rules	41190	215183
With single	4236	54352
range field	(10.3%)	(25.3%)
With single	553	25311
non-" $\geq 1024$ " range field	(1.3%)	(11.8%)
With two	0	3225
range fields	(0%)	(1.5%)
Unique ranges in first field	62	270
Unique ranges in second field	0	37

Number of range rules has increased over time

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## Earlier Approaches – I

Prefix expansion of ranges:

- express ranges as a union of prefixes
- have a separate TCAM entry for each prefix
- Example: the range [3,12] over a 4-bit field would expand to:
  - 0011 (3), 01xx (4-7), 10xx (8-11) and 1100 (12)
  - expansion: the number of entries a rule expands to
- Worst-case expansion for a W-bit field is 2W-2
  - example: [1,14] would expand to 0001, 001x, 01xx, 10xx, 110x, 1110
  - 16-bit port field expands to 30 entries

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Two range fields – multiplicative effect

## Earlier Approaches – II

#### Database-dependent encoding:

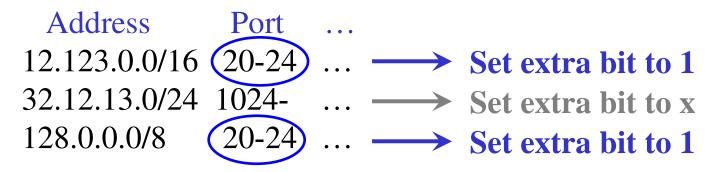
- observation: TCAM array has some unused bits
- use these additional bits to encode commonly occurring ranges in the database

- TCAMs with IP ACLs have ~ 36 extra bits
  - 144-bit wide TCAMs
  - 104-bits + 4-bits typically used for IP ACL rules

## Earlier Approaches – II

#### Database-dependent encoding:

- observation: TCAM array has some unused bits
- use these additional bits to encode commonly occurring ranges in the database
- Example:



If search key falls in 20-24, set extra bit to 1, else set it to 0

## Earlier Approaches – II

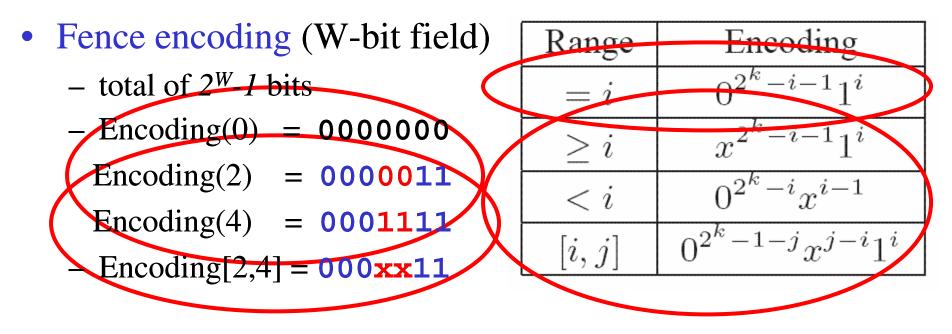
Database-dependent encoding:

- observation: TCAM array has some unused bits
- use these additional bits to encode commonly occurring ranges in the database
- Improved version: Region-based Range Encoding
- Disadvantages:
  - database dependent  $\rightarrow$  incremental update is hard

Database-Independent Range Pre-Encoding (DIRPE)

- Key insight: use additional bits in a database independent way
  - wider representation of ranges
  - reduce expansion in the worst-case

## **DIRPE:** Fence Encoding



- Using 2<sup>*w*</sup>-1 bits, fence encoding achieves an expansion of 1
- Theorem: For achieving a worst-case row expansion of 1 for a W-bit range, 2<sup>W</sup>-1 bits are necessary

## DIRPE: Using the Available Extra Bits

- Two extremes:
  - no extra bits  $\rightarrow$  worst case expansion is 2W–2
  - $-2^{W}$ -W-1 extra bits  $\rightarrow$  worst case expansion is 1
- Is there something in between?
  - appropriate worst-case based on number of extra bits available

## DIRPE: Splitting the Range Field

#### • Procedure:

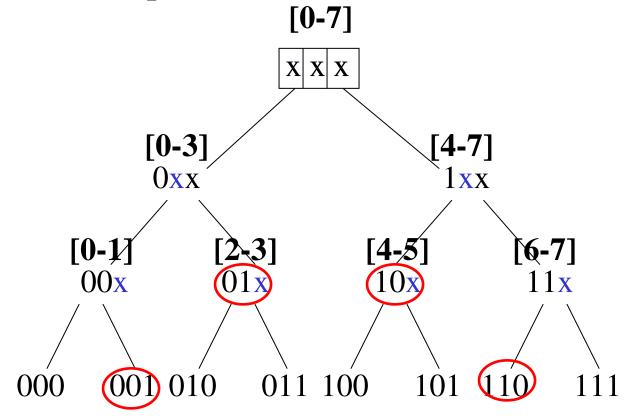
- split W-bit field into multiple chunks
- encode each chunk using fence encoding
- "combine" the chunks to form ternary entries

$$\underbrace{\begin{array}{c|c} k_0 \text{ bits} & k_1 \text{ bits} & k_2 \text{ bits} \\ \hline \\ W \text{ bits} \end{array}}$$

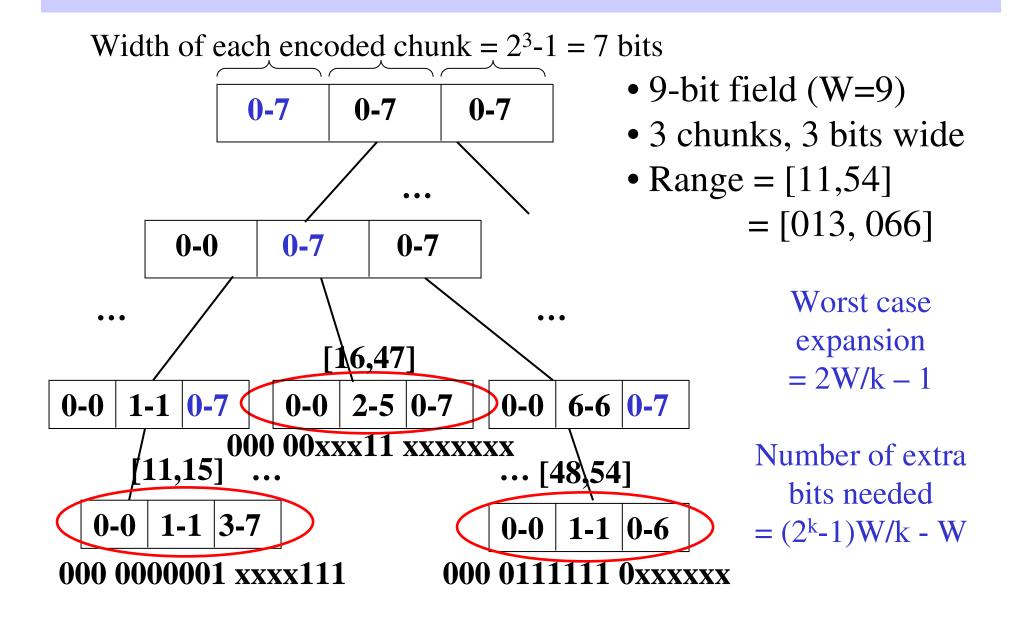
#### Combining chunks: analogous to multi-bit tries

### Unibit view of DIRPE (Prefix expansion)

- W=3, split into three 1-bit chunks; Range=[1,6]
- Each level can contribute to at most 2 prefixes (but for the top level)



## Multi-bit view of DIRPE



## Comparison of Expansion

Extra bits	DIRPE	Region-based Range Encoding	
0	30	30	
8	15	30	]
18	11	16	
27	9	14	e e e e e e e e e e e e e e e e e e e
44	7	12	]

Worst-case expansion

Extra bits	DIRPE	Region-based Range Encoding
0	2.69	2.69
8	2.08	2.33
18	1.79	2.17
36	1.57	1.58

Real-life expansion

Metric	Prefix Expansion	Region-based Encoding (with <i>r</i> regions)	DIRPE (with <i>k</i> -bit chunks)	DIRPE + Region-based
Extra bits	0	$F(\log_2 r + 2n-1)$	F( <del>W(2<sup>k</sup>-1)</del> - W)	$F(\frac{(2^{k}-1) \log_2 r}{k} + \frac{2n-1}{r})$
Worst-case capacity degradation	(2W-2) <sup>F</sup>	(2log <sub>2</sub> r) <sup>F</sup>	( <u>2W</u> - 1 ) <sup>F</sup>	( <u>2log<sub>2</sub>r</u> ) <sup>F</sup> k
Cost of an incremental update	O(WF)	O(N)	O(( <u>W</u> )F)	O(N)
Overhead on the packet processor	None	Pre-computed table of size: $O((log_2r + \frac{2n-1}{r}) F.2^W)$ ( <i>or</i> ) O(nF) comparators of width W bits	$O(\frac{W.2^k}{k})$ logic gates	Both pieces of logic from previous two columns

## **DIRPE:** Summary

- ↑ Database independent
- ↑ Scales well for large databases
- ↑ Good incremental update properties
- ↓ Additional bits needed
- $\downarrow$  Small logic needed for modifying search key
  - ↑ Does not affect throughput

## Problems

### • Range Expansion Problem

• Multimatch Classification Problem

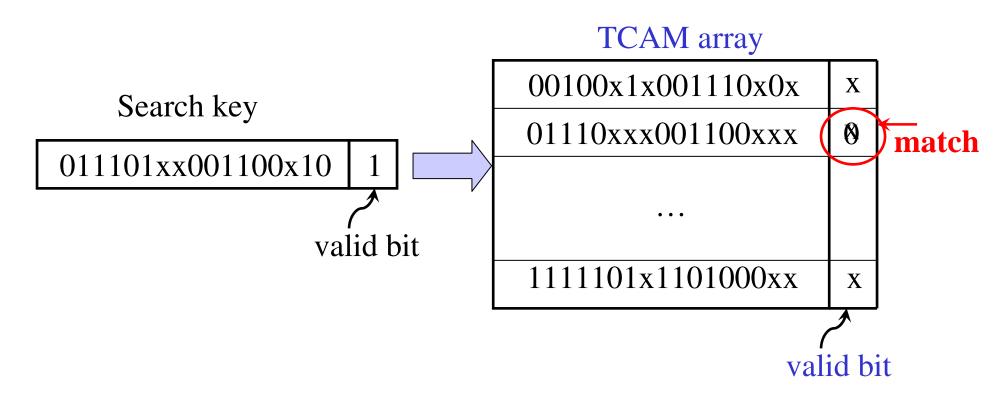
## Multimatch Classification Problem

- TCAM search primitive: return first matching entry for a key
- Multimatch requirement: return *k* matches (or all matches) for a key
  - security applications where all signatures that match this packet need to be found
  - accounting applications where counters have to be updated for all matching entries

## Earlier Approaches

#### Entry Invalidation scheme:

## maintain state of multimatch using an additional bit in TCAM called "valid" bit



## Earlier Approaches

#### Entry Invalidation scheme:

- maintain state of multimatch using an additional bit in TCAM called "valid" bit
- Disadvantage:
  - ill-suited for multi-threaded environments

## Earlier Approaches

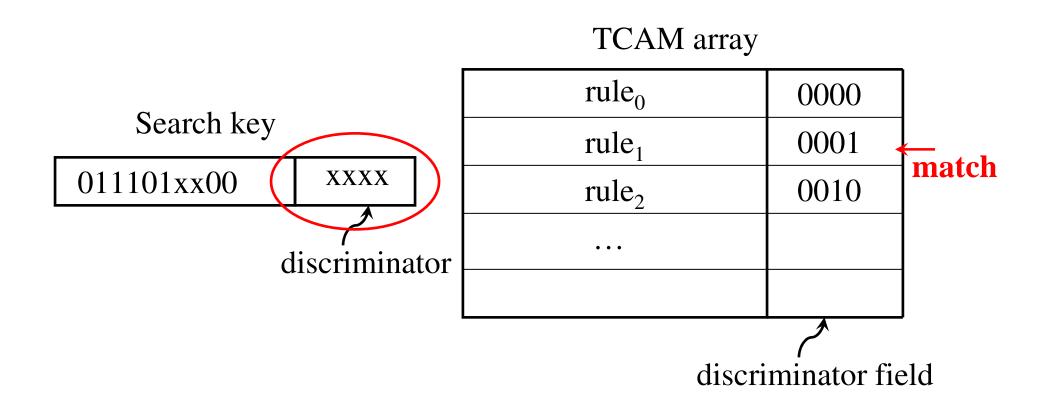
Geometric intersection scheme:

- construct geometric intersection (crossproducts) of the fields and place in TCAM
- pre-processing step is expensive
- search is fast
- Disadvantage:
  - does not scale well in capacity
  - for router dataset: expansion of 25—100

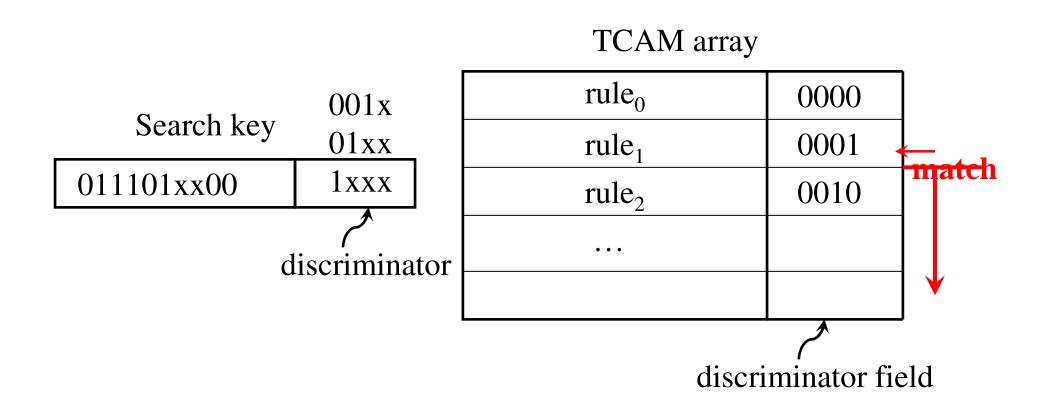
## Multimatch Using Discriminators (MUD)

- Observation: after index *j* is matched, the ACL has to be searched for all indices >*j*
- Basic idea:
  - store a discriminator field with each row that encodes the index of the row
  - to search rows with index >*j*, the search key is expanded to prefixes that correspond to >*j*
  - multiple searches are then issued

## MUD: Example



## MUD: Example



Metric	Entry Invalidation	Geometric ntersection-based	MUD
Multi-threading support	No	Yes	Yes
Worst-case TCAM entries for N rules		O(N <sup>F</sup> )	
Update cost	O(N)	O(N <sup>F</sup> )	O(N)
Cycles for k multi-matches	7k	k	1 + d + (d-1)(k-2) with DIRPE: $1 + \frac{d(k-1)}{r}$
Extra bits	0	0	without DIRPE: d with DIRPE: log <sub>2</sub> (d/r) + (d-r) + (2 <sup>r</sup> -1)
Overhead on the packet processor	Small state machine logic; can be implemented using a few hundred gates or a few microcode instructions	None	Small state machine logic; can be implemented using a few hundred gates or a few microcode instructions

## MUD: Summary

- ↑ No per-search state in TCAM suitable for multi-threaded environments
- ↑ Incremental updates fast
- ↑ Scales well to large databases
- ↓ Additional bits needed
- $\downarrow$  Extra search cycles
  - ↑ Can still support Gbps speeds

## Conclusion

- Range expansion problem: DIRPE, a database independent range encoding
  - scales to large number of ranges
  - good incremental update properties
- Multimatch classification problem: MUD
  - suitable for multithreaded environments
  - scales to large databases
- No change to TCAM hardware and simple
  → easy to deploy